



Center for
Mathematical
Modeling
Optimization and Equilibrium Seminar

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Speaker 1: Abderrahim Hantoute

Affiliation: Universidad de Alicante, España

Title: Partially non-convex minimax theorem and applications to remotal sets.

Abstract: Given a convex subset $B \subset A$ of a locally convex space $Y \times X$; and a function $f : Y \times X \rightarrow \mathbb{R}$ such that B is compact and $f(y; \cdot) : Y \rightarrow \mathbb{R}$; are concave and upper semicontinuous, we establish in a first step a minimax inequality of the form $\max_{y \in B} \inf_{x \in A} f(y; x) \geq \inf_{x \in A} \sup_{y \in B} f(y; x)$; where B_0 is the set of points $y \in B$ such that $f(y; \cdot)$ is proper and convex.

The main difference with the classical minimax theorem is that, here, the set B_0 does not need to be convex or compact. We use this result to give a new proof of the characterization of remotal sets, relying on the convexity of the set of farthest points. We also propose new duals for infinite programming problems with zero-duality gap.

Key words. Minimax theorem, convexity, remotal sets, duality.

Speaker 2: Sofía López

Affiliation: Escuela Politécnica Nacional, Ecuador.

Title: A second-order descent method with active-set prediction for group sparse optimization

Abstract: In this talk, we propose a second-order algorithm for the solution of finite and infinite dimensional group sparse optimization problems. Group sparse optimization has gained a lot of attention in the last years due to several important classification problems requiring group sparse solutions. The most prominent application example is the group LASSO problem, which consists in minimizing a least-squares fitting term together with the group sparsity l_1/l_2 norm. The method is built upon the steepest descent directions of the nonsmooth problem, which are further modified by using second-order information. A prediction step is also proposed for faster identification of the strong active set. A general convergence result is proved in \mathbb{R}^n , and the active set behavior is analyzed. The work ends with comparative computational experiments to test the performance of the devised algorithm.

Link de zoom:

<https://reuna.zoom.us/j/5185702306?pwd=cEtaeGVqUk1ZY0lkQ2Z0WU4yNIFmUT09>

Miércoles 18 de Octubre de 2023, a las 16:15 Hrs.

Sala de Seminarios John Von Neumann del Centro de Modelamiento Matemático (Beauchef 851, Edificio Norte, Piso 7).

